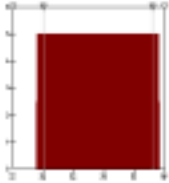
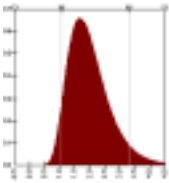
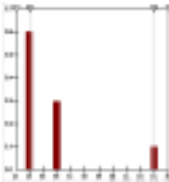
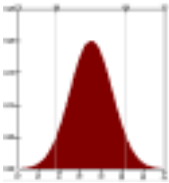
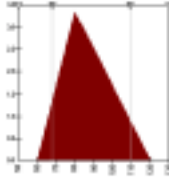
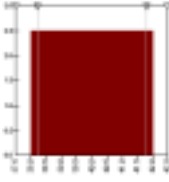


Two Ways to Approach a Problem

In the original problem, the naive approach ignored uncertainty. The realistic approach, however, recognizes that uncertainty is present in most problems. Note: The table below also displays pictures of distributions that will be used to describe the random variables.

Naïve Approach	Realistic Approach	Distribution
<p>After surveying potential customers, Marketing indicates a new widget can be priced at \$200.</p>	<p>Marketing is uncertain what the selling price will be because it doesn't know what its competitors will do. The price could be as low as \$200 or as high as \$400; the values are equally likely. (When all outcomes are equally likely, we call this a uniform distribution.)</p>	
<p>Production indicates the labor cost to build one widget will be \$30.</p>	<p>Production believes past labor costs will reflect future costs. It has extensive experience in building widgets. Based on its analysis of past data, it believes cost is a random variable that follows a lognormal distribution with a mean of \$30 and a standard deviation of \$15.</p>	
<p>Production indicates the material cost to build one widget will be \$20.</p>	<p>Purchasing feels there is a 50% chance material costs will be \$14, a 30% chance they could increase to \$20, and a 20% chance they could go as high as \$27, depending on what OPEC does. We call this is a discrete distribution because each cost number is an exact number.</p>	
<p>Quality Control (QC) indicates the cost to check one widget will be \$2.</p>	<p>Quality Control (QC) has found its costs per widget follow a normal distribution with a mean of \$2 per widget and a standard deviation of \$0.70 per widget. In a normal distribution, the numbers follow a continuous distribution rather than a discrete distribution.</p>	
<p>Research & Development (R&D) spent \$80,000 to design the widget.</p>	<p>Research and Development (R&D) is sure its cost will not be below \$60,000, and most likely it will be \$80,000; however, there is a chance it could cost \$120,000 but no higher. This could be modeled as a triangular distribution.</p>	
<p>Facilities spent \$156,000 to build a production facility.</p>	<p>Facilities is certain the cost to build a production facility will be between \$150,000 to \$160,000 with all values equally likely in a uniform distribution.</p>	
<p>Purchasing indicates they will spend \$60,000 for equipment to build the widgets.</p>	<p>The company has negotiated an agreement to purchase equipment at a guaranteed price of \$60,000. While equipment is a constant, we show it as a discrete distribution so it will be included in the @RISK analysis.</p>	